

PHYS 2102

Exam 1

Fall 2003

Dr. Aktas

Name : _____

SS # : _____

You have **four questions**, **25** points each.

This is a **closed** book exam. I understand I am **not to use any notes or information** other than on this exam sheet. I may use a pocket **calculator** but only for the purpose of **numerical calculation**. I **accept the responsibility** to know and observe the requirements of the **UNC-Charlotte Code of Student Academic Integrity**.

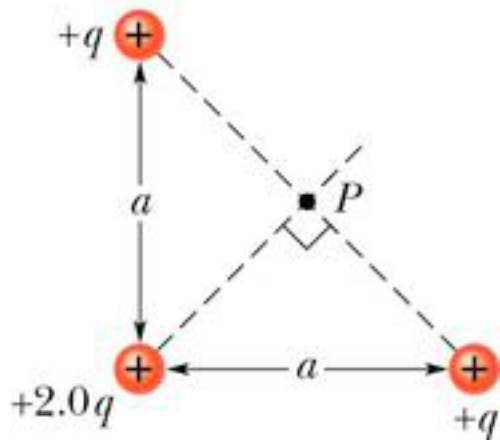
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Signature

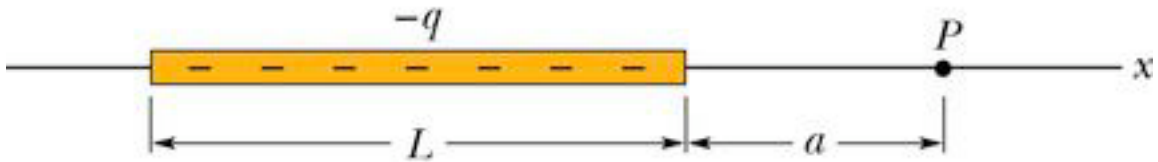
Good luck

Show all of **your work**. Do not skip steps. First **write down** the relevant **equations** then **substitute the numbers** if necessary.

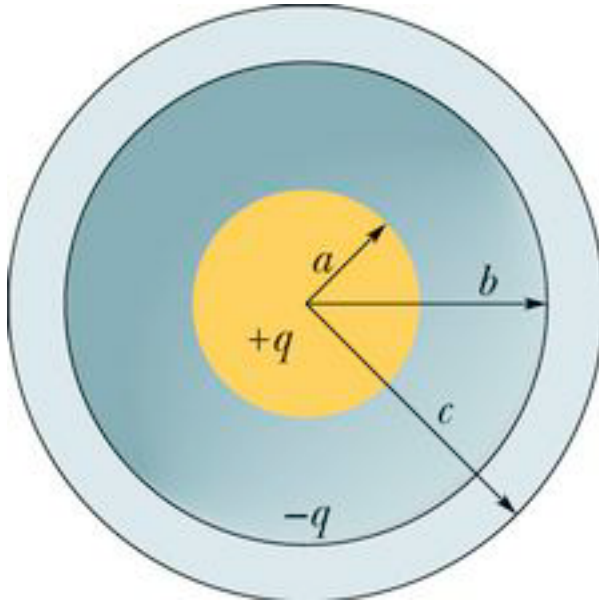
1. Calculate the direction and magnitude of the electric field at point P in Fig. below, due to the three point charges.



2. In Fig. below , a nonconducting rod of length L has charge $-q$ uniformly distributed along its length. (a) What is the linear charge density of the rod? (b) What is the electric field at point P , a distance a from the end of the rod? (c) If P were very far from the rod compared to L , the rod would look like a point charge. Show that your answer to (b) reduces to the electric field of a point charge for $a \gg L$.



3. In Fig. below a sphere, of radius a and charge $+q$ uniformly distributed throughout its volume, is concentric with a spherical conducting shell of inner radius b and outer radius c . This shell has a net charge of $-q$. Find expressions for the electric field, as a function of the radius r , (a) within the sphere ($r < a$), (b) between the sphere and the shell ($a < r < b$), (c) inside the shell ($b < r < c$), and (d) outside the shell ($r > c$). (e) What are the charges on the inner and outer surfaces of the shell?



4. (a) Show that the electric potential at a point on the central axis of a thin ring of charge of radius R and a distance z from the ring is

$$V = \frac{1}{4\pi\epsilon_0} \frac{q}{\sqrt{z^2 + R^2}}.$$

- (b) From this result, derive an expression for E at points on the ring's axis.

