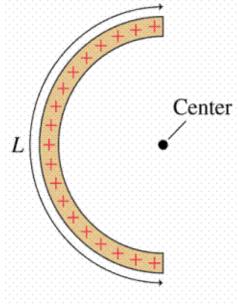
Note Title 9/6/2005

## Review for Quiz 2, Problem 48, Chapter 26



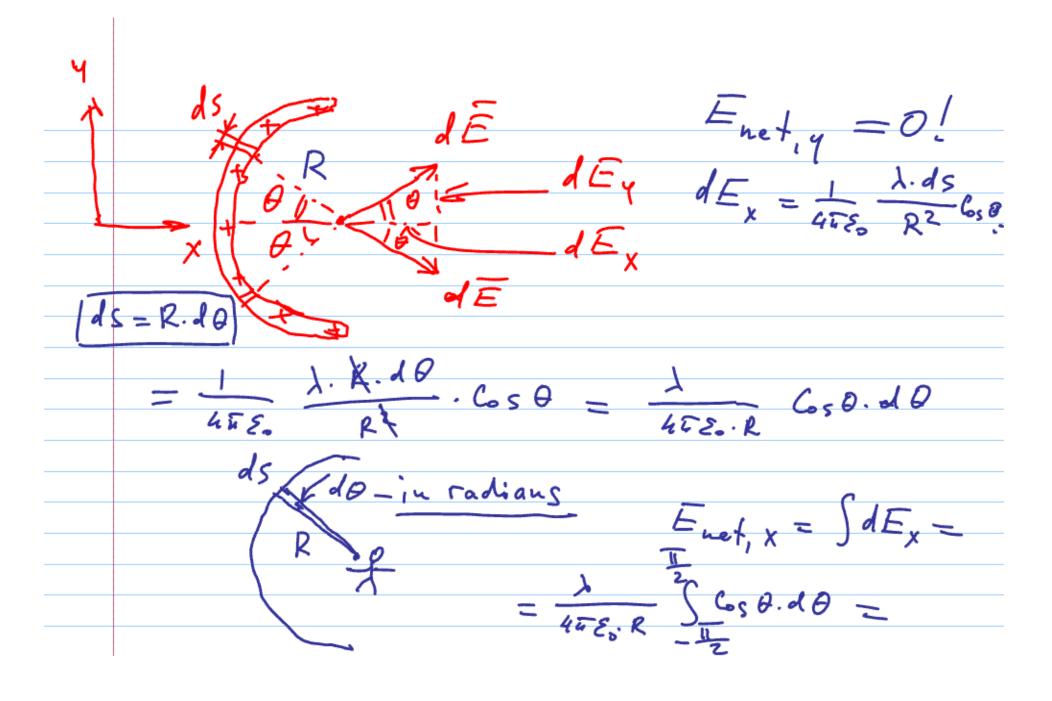
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Charge Q is uniformly distributed along a thin, flexible rod of length L. The rod is then bent into the semicircle, see Figure.

- a) Find an expression for the electric field  $\boldsymbol{E}_{net}$  as a vector at the center of the semicircle.
- b) Evaluate the field strength if L = 10 cm and Q = 30 nC.

## **Grading Criteria**:

- Sketch for a field dE created by differentially small charge dQ.
- Direction of *E*<sub>net</sub>.
- 3. Integrals for components of Enet.
- 4. Integration limits.
- Numbers.



$$= \frac{1}{4\pi \xi_{0}R} \left[ S_{1} - 0 \right]^{\frac{1}{2}} = \frac{1}{4\pi \xi_{0}R} \left[ 1 - (-1) \right] = \frac{2\lambda}{4\pi \xi_{0}R} \left[ 1 - (-1) \right] = \frac{2\lambda}{4\pi \xi_{0}R} \left[ \frac{\lambda - Q}{\lambda - Q} \right]$$

$$= \frac{Q}{2\pi \xi_{0}R} \left[ 1 - (-1) \right] = \frac{2\lambda}{4\pi \xi_{0}R} = \frac{Q}{\lambda - Q}$$

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